| Module code |  | SM-4333 |  |  |  |
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| Module Title |  | Financial Mathematics |  |  |  |
| Degree/Diplom |  | Bachelor of Science (Mathematics) |  |  |  |
| Type of Module |  | Major Option |  |  |  |
| Modular Credits |  | 4 | Total student Workload | 10 | hours/week |
|  |  | Contact hours | 4 | hours/week |
| Prerequisite |  |  | SM-2201 Ordinary Differential Equations SM-2203 Linear Algebra and its Applications |  |  |  |
| Anti-requisite |  | None |  |  |  |
| Aims <br> The module is designed to enable students to acquire a knowledge and understanding of some of the basic concepts of financial mathematics, including stochastic models for stocks and the pricing of contingent claims. |  |  |  |  |  |
| Learning Outcomes <br> On successful completion of this module, a student will be expected to be able to: |  |  |  |  |  |
| Lower order: | 40\% | - list the functions of a stock market and describe the properties of the more important financial instruments that are traded in them (bonds, stocks and options) |  |  |  |
| Middle order: | 40\% | - calculate the market price of a bond; estimate the drift and volatility of a stock from a sequence of stock prices; use the Black-Scholes and binomial models to price options |  |  |  |
| Higher order: | 20\% | - construct stochastic models of high-volatility financial assets <br> - work independently and in a team |  |  |  |
| Module Contents <br> - Introduction to options and markets: Definition and brief history of financial derivatives <br> - Asset Price model: Brief review of additive and multiplicative model; general random walk model; geometric Brownian motion model and Wiener process. <br> - Black-Scholes partial differential equation: Taylor's series, Ito's lemma and random diffusion equation. <br> - Black-Scholes model: Arbitrage principle, hedging techniques, Greek letters, Black-Scholes analysis and principle; boundary and final conditions for Black-Scholes formulae. <br> - Variation of the Black-Scholes model: Deterministic and stochastic volatility; random interest rate; dividend paying option; American option and transaction costs. <br> - Binomial model: Risk-neutral principle, discrete random walk and price jumps. |  |  |  |  |  |
| Assessment | Form asses | ative sment | Tutorial and feedback. |  |  |
|  | Summ | mative | Examination: 60\% |  |  |
|  |  |  | Coursework: 40\% <br> - 2 class tests ( $40 \%$ ) |  |  |

